

A collection of historical artifacts is arranged on a light-colored surface. On the left, a portion of a chessboard with a blue and brown checkered pattern is visible, featuring several chess pieces. Below the chessboard, there are two ornate medals with star-shaped centers and intricate designs. A pair of gold-rimmed glasses with thin temples lies across the middle. In the bottom left corner, a circular compass with a white face and black markings is visible. The text 'Chapter 2' is overlaid in a dark, textured box in the upper right, and 'Electroanalytical methods' is written in large, bold, brown letters in the center-right.

Chapter 2

Electroanalytical methods



Electroanalytical methods

- ◆ **Electrogravimetry**
- ◆ **Coulometry**
- ◆ **Potentiometry**
- ◆ **Voltammetry**



Potentiometry

- **Fundamentals of potentiometry**
- **Reference electrodes**
- **Indicator and ion selective electrodes**
- **Instrumentation and measurement of cell electromotive force (e.m.f)**

Fundamentals of potentiometry

When a metal is immersed in a solution containing its own ions, the potential difference is established between the metal and the solution



$$\varphi = \varphi^{\theta} + \frac{RT}{nF} \ln \frac{a_{\text{O}}}{a_{\text{R}}}$$



Fundamentals of potentiometry



$$\varphi = \varphi^{\circ} + (RT/nF) \ln \alpha_{M^{n+}}$$

Nernst equation

Fundamentals of potentiometry

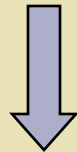
Indicator electrode

+

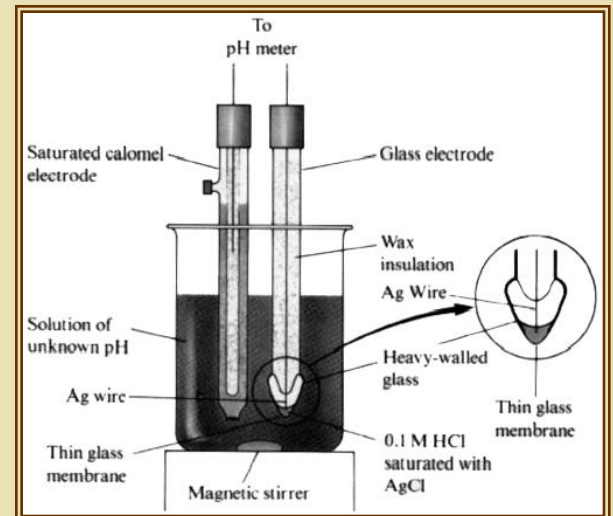
Reference electrode

+

Solution



Cell





Fundamentals of potentiometry

$M | M^{n+} ||$ reference electrode

$$E = \varphi_{(+)} - \varphi_{(-)} + \varphi_L$$

Liquid
junction
potential

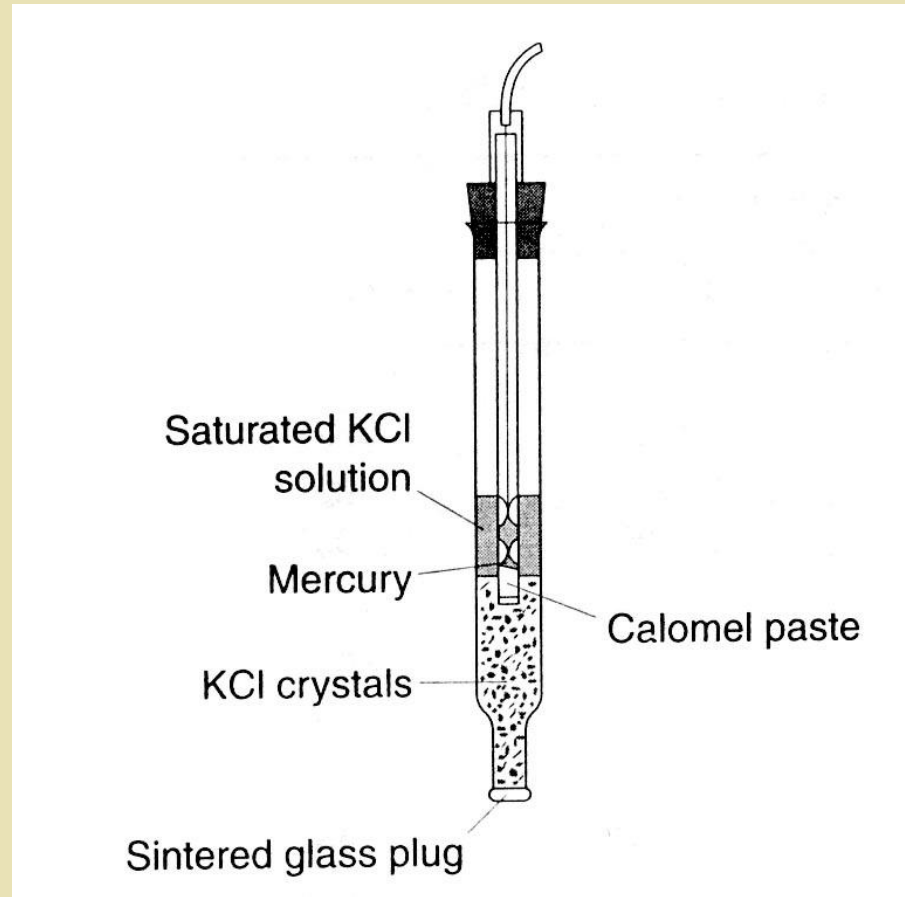
$$E = \varphi_{(+)} - \varphi_{(-)}$$

$$= \varphi_r - \varphi^\circ - (RT/nF) \ln \alpha_{M^{n+}}$$

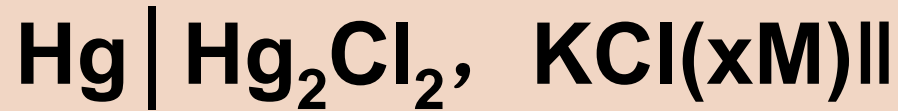
Reference electrodes

- ◆ Hydrogen electrode
- ◆ Calomel electrode
- ◆ Silver – silver chloride electrode

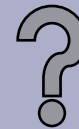
Calomel electrode



Calomel electrode



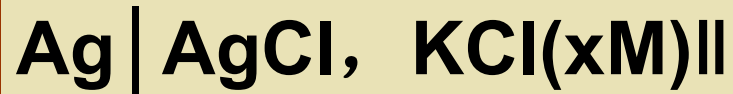
Electrode potential



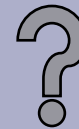
$$\varphi = \varphi^\circ_{\text{Hg}_2\text{Cl}_2/\text{Hg}} + (RT/nF) \ln (1/\alpha_{\text{Cl}^-}{}^{-2})$$

$$= \varphi^\circ_{\text{Hg}_2\text{Cl}_2/\text{Hg}} - 0.059 \lg \alpha_{\text{Cl}^-}$$

Silver – silver chloride electrode



Electrode potential



$$\varphi = \varphi^{\circ}_{\text{AgCl} / \text{Ag}} + (RT/nF) \ln (1/ \alpha_{\text{Cl}^-})$$

$$\equiv \varphi^{\circ}_{\text{AgCl} / \text{Ag}} - 0.059 \lg \alpha_{\text{Cl}^-}$$



Indicator and ion selective electrodes

Indicator electrode

---The potential depends on the activity of a particular ionic species which it is desired to quantify

Indicator and ion selective electrodes

- **Electrode of the first kind**
 - **Electrode of the second kind**
 - **Inert electrode**
- Metal electrode**

- **The glass electrode**
 - **Crystalline membrane electrode**
 - **Biochemical electrode**
- Membrane electrode**

Indicator and ion selective electrodes

Electrode of the first kind

---The ion to be determined is directly involved in the electrode reaction

Metal M immersed in a solution of **Mⁿ⁺ ion**

$$\varphi = \varphi^{\circ}_{M^{n+}/M} + (RT/nF) \ln \alpha_{M^{n+}}$$

Indicator and ion selective electrodes

Electrode of the second kind

Silver – silver chloride electrode

--- coating a silver wire with silver chloride



$$\begin{aligned}\varphi &= \varphi^{\circ}_{\text{AgCl} / \text{Ag}} + (RT/nF) \ln (1/ \alpha_{\text{Cl}^-}) \\ &= \varphi^{\circ}_{\text{AgCl} / \text{Ag}} - 0.059 \lg \alpha_{\text{Cl}^-}\end{aligned}$$

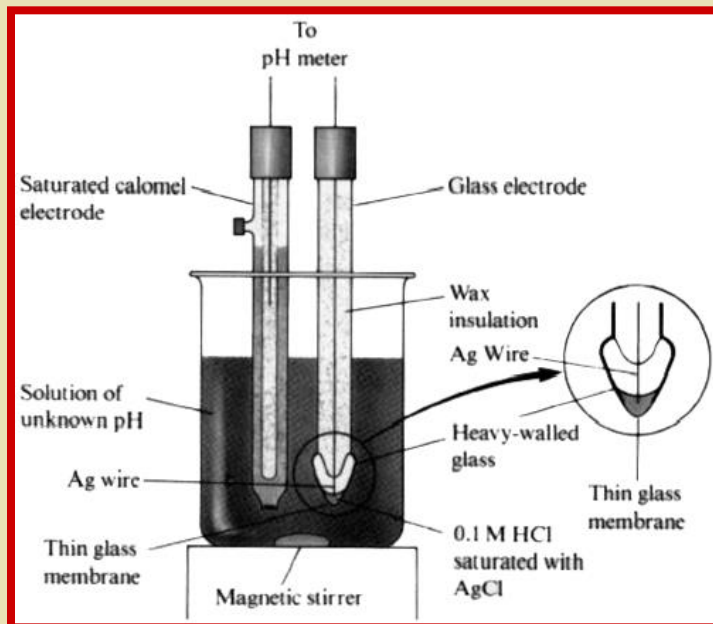
Inert electrode

---An inert electrode (**Pt**) is placed in a system containing both an oxidizing agent and its reduction product



$$\varphi = \varphi^{\circ}_{\text{Fe}^{3+} / \text{Fe}^{2+}} + (RT/nF) \ln (\alpha_{\text{Fe}^{3+}} / \alpha_{\text{Fe}^{2+}})$$

The glass electrode



The glass electrode

Composition

◆ SiO_2 72% + Na_2O 22% + CaO 6%

◆ SiO_2 63% + Li_2O 28% + Cs_2O 2%
+ BaO 4% + La_2O_3 3%

The glass electrode

Theory

--- Ion exchange process

$$\begin{aligned}\varphi_{\text{glass}} &= K + (RT/nF) \ln \alpha_{\text{H}^+} \\ &= K' - 0.059 \text{ pH}\end{aligned}$$

The glass electrode

properties

- Can be used in the presence of strong oxidants and reductants
- Can be used in viscous media
- Can be used in the presence of proteins

The glass electrode

properties

- High resistance
- Acid error and alkaline error



Crystalline membrane electrode

composition

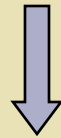
Crystal of lanthanum fluoride

+

0.1 mol/L NaF – 0.1 mol/L NaCl

+

Silver – silver chloride electrode



Lanthanum fluoride electrode

Crystalline membrane electrode

Theory

Lattice defect

$$\begin{aligned}\varphi_{\text{membrane}} &= K - (RT/nF) \ln \alpha_{\text{F}^-} \\ &= K - 0.059 \lg \alpha_{\text{F}^-}\end{aligned}$$

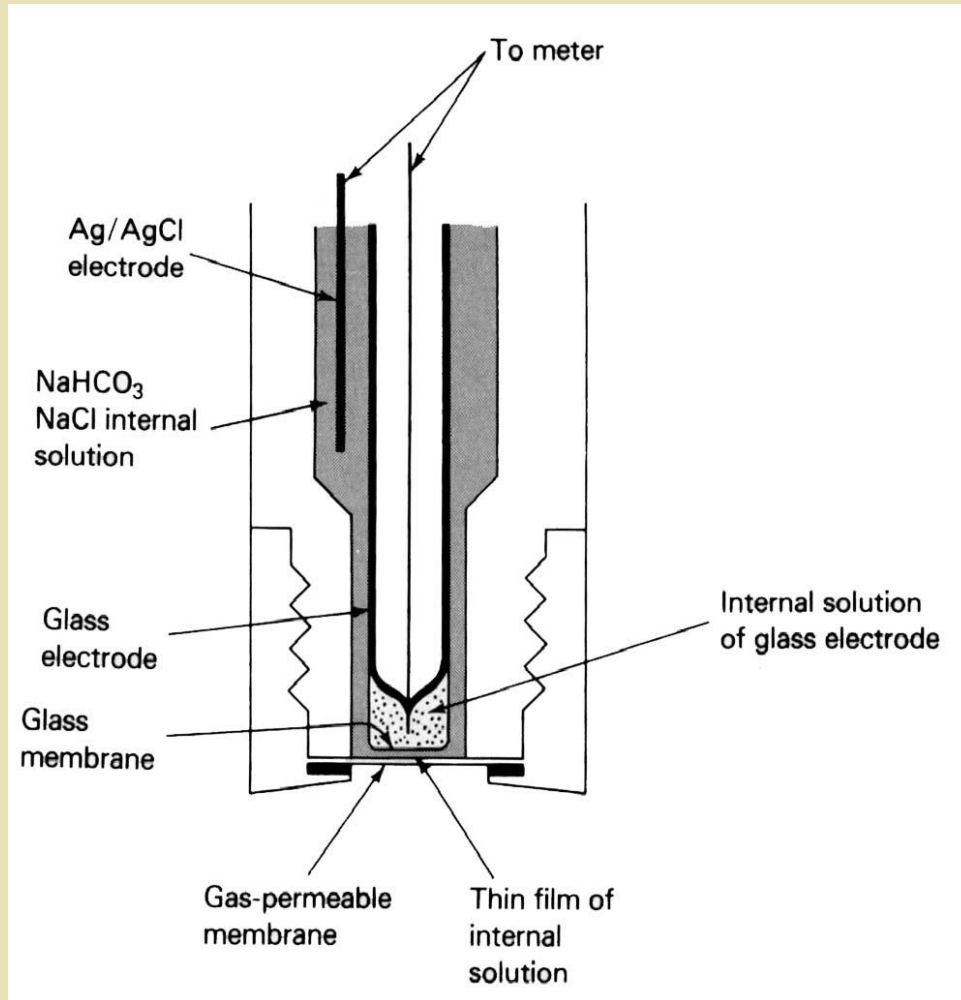


Crystalline membrane electrode

properties

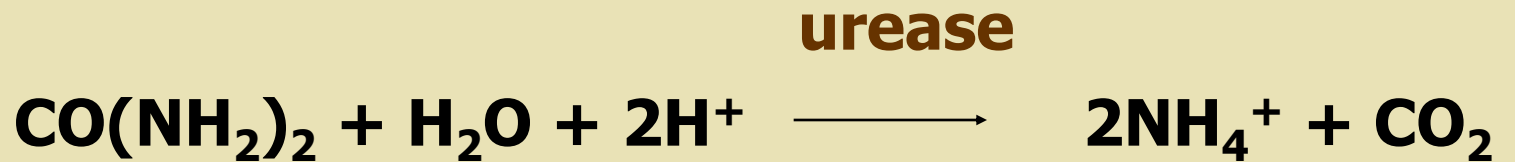
- Detection limit $\sim 10^{-7}$ mol/L
- Interference $\sim \text{OH}^-$
- pH range $\sim 5 - 6$

Gas – sensing electrode



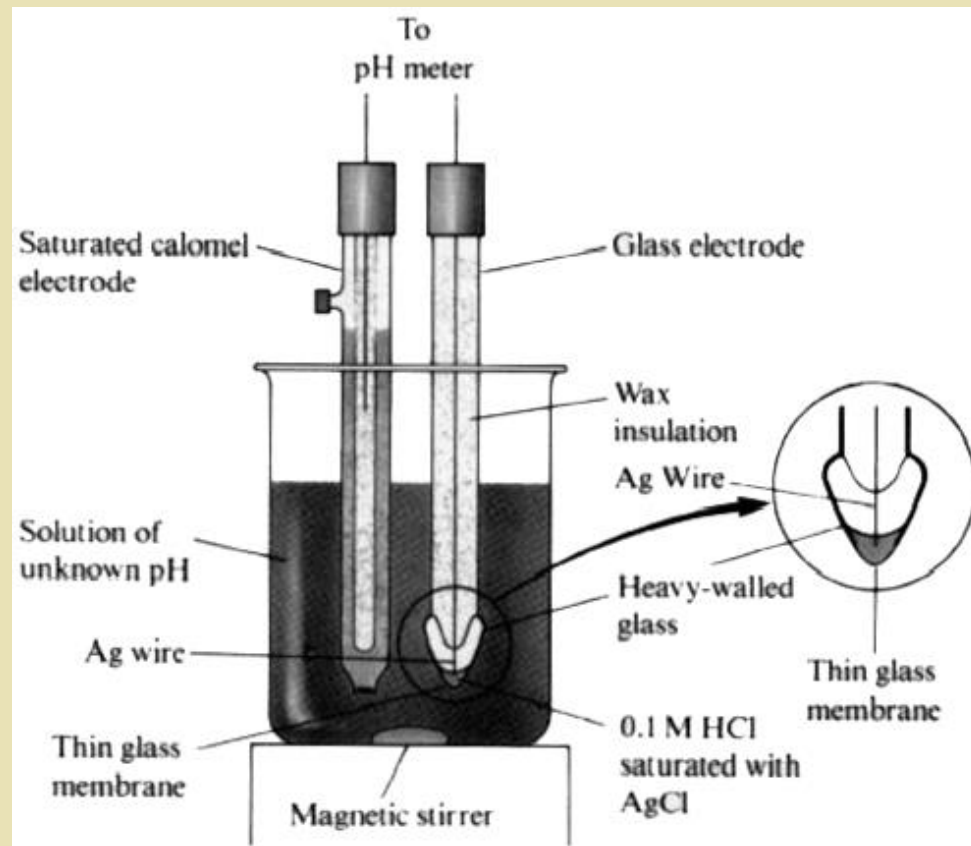
Biochemical electrode

Urea electrode



Instrumentation

Determination of pH



Determination of pH

Glass electrode | Solution X || SCE

$$E = \varphi_{\text{SCE}} - \varphi_{\text{glass}}$$

$$= \varphi_{\text{SCE}} - \left(\varphi^{\circ}_{\text{AgCl} / \text{Ag}} + K + \frac{RT}{nF} \ln \alpha_{\text{H}^+} \right)$$

$$E = K' + \left(\frac{2.303 RT}{F} \right) \text{pH}$$

Determination of pH

$$E_x = K'_x + (2.303 RT / F) \text{pH}_x$$

$$E_s = K'_s + (2.303 RT / F) \text{pH}_s$$

$$K'_x = K'_s$$

$$\text{pH}_x = \text{pH}_s + (E_x - E_s) F / 2.303RT$$

--- Operational definition

Determination of pH

pH standard solution (25 C°)

Solution	0.05 M potassium hydrogenphthalate	0.025 M KH_2PO_4 0.025 M Na_2HPO_4	0.01 M Borax
pH	4.004	6.864	9.182

Determination of fluoride

$$\varphi_{\text{membrane}} = K \pm (0.059/n) \lg \alpha$$

- **Calibration curve**
- **Standard addition**

Determination of fluoride

Calibration curve

- ◆ Standard solutions
- ◆ Total ionic strength adjustment buffer(TISAB)

Ionic strength

▶ NaCl

▶ NaAc - HAc

▶ Sodium citrate

pH

Interferenc

e

Determination of fluoride

Standard addition

$$E_1 = k_c + k \log y_1 C_1$$

$$E_2 = k_c + k \log y_1 (V_1 C_1 + V_2 C_s) / (V_1 + V_2)$$

$$E_2 - E_1 = k \log (V_1 C_1 + V_2 C_s) / C_1 (V_1 + V_2)$$

$$C_1 = C_s / (10^{\Delta E/k} (1 + V_1/V_2) - V_1/V_2)$$

The end