# **Concurrency and** Parallels computing

### What is Concurrency

It refers to the execution of multiple instruction sequences at the same time. It occurs in an operating system when multiple process threads are executing concurrently. These threads can interact with one another via shared memory or message passing.

## Interprocess communication

- Processes within a system may be independent or cooperating
- Cooperating process can affect or be affected by other processes, including sharing data.
- Cooperating processes need interprocess communication  $(IPC)$
- Two models of IPC:
	- $\triangleright$  Shared memory
	- $\triangleright$  Message passing





# Difference between **Concurrency and Parallelism in Operating System**

• Concurrency and parallelism are related but not the same terms, and they are sometimes confused. The key distinction between concurrency and parallelism is that concurrency is concerned with dealing with several things simultaneously or managing concurrent events while essentially hiding latency. In contrast, parallelism is about doing multiple tasks simultaneously that help to increase the system speed.

### **Problems in Concurrency**

#### There are various problems in concurrency. Some of them are as follows:

Locating the programming errors

It's difficult to spot a programming error because reports are usually repeatable due to the varying states of shared components each time the code is executed.

**Sharing Global Resources** Þ

Sharing global resources is difficult. If two processes utilize a global variable and both alter the variable's value, the order in which the many changes are executed is critical.

Locking the channel þ

It could be inefficient for the OS to lock the resource and prevent other processes from using it.

**Optimal Allocation of Resources** þ

It is challenging for the OS to handle resource allocation properly

# **Concurrency and** Parallels computing

### **Process concept Program vs** process

**Program** is passive entity stored on disk (executable file), process is active

- $\triangleright$  Program becomes process when executable file loaded into memory •
- Execution of program started via GUI mouse clicks, command line entry of its name, etc  $\cdot$
- $\triangleright$  One program can be several processes

### Diagram of process state



# **Background**

- Processes can execute concurrently П
	- May be interrupted at any time, partially completing  $\Box$ execution
- Concurrent access to shared data may result in data п inconsistency
- Maintaining data consistency requires mechanisms to ensure П the orderly execution of cooperating processes
- $\Box$  Illustration of the problem:

Suppose that we wanted to provide a solution to the consumer-producer problem that fills all the buffers. We can do so by having an integer counter that keeps track of the number of full buffers. Initially, counter is set to 0. It is incremented by the producer after it produces a new buffer and is decremented by the consumer after it consumes a buffer.

## Producer

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while  $(true)$  { /\* produce an item in next produced \*/

> while (counter  $==$  BUFFER SIZE) ;  $/*$  do nothing  $*/$  $buffer[in] = next produced;$  $in = (in + 1)$  % BUFFER SIZE; counter++;

# Consumer

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```
while (true) {
        while (counter == 0)
                : /* do nothing */
        next_{consumed} = buffer(out);
        out = (out + 1) % BUFFER SIZE;
        counter--;\frac{1}{\pi} consume the item in next consumed */
```
# **Race condition**

```
■ counter++ could be implemented as
```

```
 register1 = counter
 register1 = register1 + 1
 counter = register1
```
**counter--** could be implemented as

```
 register2 = counter
 register2 = register2 - 1
 counter = register2
```
**Consider this execution interleaving with "count**  $= 5$ **" initially:** 

```
S0: producer execute register1 = counter {register1 = 5}
S1: producer execute \text{register1} = \text{register1} + 1 {register1 = 6}
S2: consumer execute register2 = counter {register2 = 5} 
S3: consumer execute \text{register2} = \text{register2} - 1 {register2 = 4}
S4: producer execute counter = register1 {counter = 6 } 
S5: consumer execute counter = register2 {counter = 4}
```
# **Race condition**

- Processes  $P_0$  and  $P_1$  are creating child processs using the  $f \circ r k$  () system call
- Race condition on kernel variable next available pid which represents the next available process identifier (pid)



Unless there is mutual exclusion, the same pid could be assigned to two different processes!

### **Critical Section Problem**

- Consider system of *n* processes { $p_0$ ,  $p_1$ , ...  $p_{n-1}$ }
- Each process has critical section segment of code
	- Process may be changing common variables, updating table, writing file, etc.
	- When one process in critical section, no other may be in its critical section
- **Critical section problem** is to design protocol to solve this
- Each process must ask permission to enter critical section in entry section, may follow critical section with exit section, then remainder section

# **Critical section**

General structure of process  $P_i$ 

 $do { }$ 

entry section

critical section

exit section

remainder section

} while (true);

### **Solution to Critical-Section** Problem

- 1. Mutual Exclusion If process  $P_i$  is executing in its critical section, then no other processes can be executing in their critical sections
- 2. Progress If no process is executing in its critical section and there exist some processes that wish to enter their critical section, then the selection of the processes that will enter the critical section next cannot be postponed indefinitely
- 3. Bounded Waiting A bound must exist on the number of times that other processes are allowed to enter their critical sections after a process has made a request to enter its critical section and before that request is granted
	- Assume that each process executes at a nonzero speed
	- No assumption concerning relative speed of the *n* processes

# **Critical-Section Handling in OS**

 Two approaches depending on if kernel is preemptive or non- preemptive

- Preemptive allows preemption of process when running in kernel mode
- Non-preemptive runs until exits kernel mode, blocks, or voluntarily yields CPU
	- Essentially free of race conditions in kernel mode

# **Concurrency and** Parallels computing

# **Algorithm 1**

#### strict alternation

**Shared variables:**  $\Box$ int turn;  $\Box$ initially  $turn = 0$ **u** turn -  $i \Rightarrow P_i$  can enter its critical section Process  $P_i$  $\Box$  $do\{$ while (turn  $!=$  i); critical section turn =  $j$ ; reminder section  $}$  while  $(1)$ ;

#### do{ while( $turn!=i$ ); critical section turn=j; reminder section } while(1); pi pj

do{ while(turn! $=$ j); critical section  $turn=i;$ reminder section } while(1);

Satisfies mutual exclusion, but not progress

# **Algorithm 2**



#### pi pj

#### do{

flag[i]:=true; while(flag[j]); critical section flag[i]=false; reminder section }while(1);

do{

flag[j]:=true; while(flag[i]); critical section flag[j]=false; reminder section }while(1);

Satisfies mutual exclusion, but not progress



#### mutual exclusion is not satisfied

### **Peterson's solution**

- Not guaranteed to work on modern architectures! (But good  $\Box$ algorithmic description of solving the problem)
- Two process solution  $\Box$
- Assume that the load and store machine-language Π instructions are atomic; that is, cannot be interrupted
- The two processes share two variables:  $\Box$ 
	- $i$  int turn:
	- D boolean flag[2]
- The variable turn indicates whose turn it is to enter the critical Π section
- $\Box$  The flag array is used to indicate if a process is ready to enter the critical section.  $flag[i] = true$  implies that process  $P_i$  is ready!

#### **Algorithm for Process P**

```
while (true) {
       flag[i] = true;turn = j;while (flag[j] \&&\text{ turn} = = j)
```

```
/* critical section */
```

```
flag[i] = false;
```
 $/*$  remainder section \*/

```
while (true) {
       flag[i] = true;turn = j;while (flag[j] 66 \text{ turn} = 5)
               ÷
```
/\* critical section \*/

 $flag[i] = false;$ 

}

 $/*$  remainder section \*/

while  $(true)$  {  $flag[i] = true;$  $turn = j;$ while (flag[ $\frac{1}{2}$ ] as turn = =  $\frac{1}{2}$ ) ;  $/*$  critical section \*/  $flag[i] = false;$  $/*$  remainder section \*/

ł

### **Peterson's solution**

- Provable that the three CS requirement are met: О
	- 1. Mutual exclusion is preserved
		- $P_i$  enters CS only if:

either flag[j] = false or turn = i

- Progress requirement is satisfied 2.
- Bounded-waiting requirement is met 3.

#### **Peterson's solution**

- Although useful for demonstrating an algorithm, Peterson's Solution is not  $\Box$ guaranteed to work on modern architectures.
- Understanding why it will not work is also useful for better understanding  $\Box$ race conditions.
- To improve performance, processors and/or compilers may reorder  $\Box$ operations that have no dependencies.
- For single-threaded this is ok as the result will always be the same. О
- For multithreaded the reordering may produce inconsistent or unexpected  $\Box$ results!

#### Code Optimizations Wreak Havoc with Multiple Threads

```
// Compile with "/platform:x86 /o" and run it NOT under the debugger
internal static class StrangeBehavior {
   private static Boolean s stopWorker = false;
   public static void Main() {
      Console.WriteLine("Main: letting worker run for 5 seconds");
      Thread t = new Thread(Worker); t.Stant();
      Thread.Sleep(5000);
      s stopWorker = true;
      Console.WriteLine("Main: waiting for worker to stop");
      t.Join();
   λ
   private static void Worker(Object o) {
      Int32 x = 0;
      while (!s stopWorker) x++;Console.WriteLine("Worker: x = \{0\}", x);
                                  //compiler optimizes to this:
}
                                   Int32 x=0;
                                   If(!s_stopWorker)
                                   While(true) x++;
                                   Console.WriteLine("Worker: x = \{0\}", x);
```

```
Code Optimizations Cause Problems
class OutOfProgramOrder {
   private Boolean m flag = false;private Int32 \mu walue = 0;
   public void Thread1() {
      // These could execute in reverse order
      m value = 5;
      m_f \text{lag} = \text{true};public void Thread2() \{// m_value could be read before m_flag
      if (m flag)Display(m_value); // Nothing or 5?
\mathcal{E}
```

```
Two threads share the data:
\Boxboolean flag = false;int x = 0;
□ Thread 1 performs
   while (!flag)
        \ddot{ }print x
  Thread 2 performs
\Boxx = 100;flag = trueWhat is the expected output?
\Box
```
#### **Peterson's Solution**

100 is the expected output.

However, the operations for Thread 2 may be reordered:

```
flag = true;x = 100;
```
If this occurs, the output may be 0!

The effects of instruction reordering in Peterson's Solution



# **Synchronization hardware**

- Many systems provide hardware support for implementing the п critical section code.
- Uniprocessors could disable interrupts  $\Box$ 
	- Currently running code would execute without preemption  $\Box$
	- Generally too inefficient on multiprocessor systems
		- Operating systems using this not broadly scalable
- We will look at three forms of hardware support: 0
	- 1. Memory barriers
	- 2. Hardware instructions
	- 3. Atomic variables

### **Memory Barriers**

- **Memory model** are the memory guarantees a computer architecture makes to application programs.
- **Memory models may be either:**
- $\triangleright$  Strongly ordered where a memory modification of one processor is immediately visible to all other processors.
- Weakly ordered where a memory modification of one processor may not be immediately visible to all other processors.
- $\triangleright$  A memory barrier is an instruction that forces any change in memory to be propagated (made visible) to all other processors.

# **Memory Barrier**

- We could add a memory barrier to the following instructions to ensure О Thread 1 outputs 100:
- □ Thread 1 now performs

```
while (!flag)
    memory_barrier();
print x
```
□ Thread 2 now performs

```
x = 100;memory barrier();
flag = true
```
# **Hardware Instructions**

- Special hardware instructions that allow us to either *test-and-modify* the О content of a word, or to swap the contents of two words atomically (uninterruptibly.)
- **Test-and-Set instruction** n.
- **Compare-and-Swap instruction** О

# Atomic Variables

- ▶ Typically, instructions such as compare-andswap are used as building blocks for other synchronization tools.
- ▶ One tool is an atomic variable that provides atomic (uninterruptible) updates on basic data types such as integers and booleans.
- For example, the **increment()** operation on the atomic variable **sequence** ensures **sequence** is incremented without interruption:

**increment(&sequence);**

# Atomic Variables

 The **increment()** function can be implemented as follows:

```
void increment(atomic_int *v)
{
   int temp;
   do {
        temp = *v;
   }
   while (temp != 
(compare_and_swap(v,temp,temp+1));
}
```
# Atomic Variables

It is important to note that although atomic variables provide atomic updates, they do not entirely solve race conditions in all circumstances. For example, in the bounded-buffer problem described in Section 6.1, we could use an atomic integer for count. This would ensure that the updates to count were atomic. However, the producer and consumer processes also have while loops whose condition depends on the value of count. Consider a situation in which the buffer is currently empty and two consumers are looping while waiting for  $count > 0$ . If a producer entered one item in the buffer, both consumers could exit their while loops (as count would no longer be equal to 0) and proceed to consume, even though the value of count was only set to 1.

# Solution to the critical section problem

# semaphore

- Semaphore  $s$  integer variable
- Can only be accessed via two indivisible (atomic) operations

```
- wait() and signal()
```
- Originally called  $P()$  and  $V()$
- Definition of the wait() operation wait(S)  $\{$

```
while (S \le \theta); // busy wait
```

```
S--;
```

```
Definition of the signal() operation
 signal(S) {
     S++;
```
# Semaphore

- To overcome the problem of busy waiting in semaphore, we can modify the defining of the wait and signal operation.
- When a process executes the wait operation and find the value of semaphore is not positive, it must wait. However rather than engaging in a busy waiting, the process can block itself in waiting queue associated with each semaphore.
- In this case the state of the process is waiting in the semaphore queue.

#### Implementation of wait:

```
wait(S){
value--;
if (value < 0) {
add this
process to waiting queue
block();}
```
ł

Implementation of signal:

```
Signal (S){
value++;
if (value <= 0) {
remove a
process P from the waiting queue
wakeup(P); }
```


- Deadlock two or more processes are waiting indefinitely for an event that can be caused by only one of the waiting processes.
- Let S and Q be two semaphores initialized to 1



- Other forms of deadlock: п
- **Starvation** indefinite blocking П
	- A process may never be removed from the semaphore queue in which it is α suspended
- **Priority Inversion** Scheduling problem when lower-priority process Ω holds a lock needed by higher-priority process
- Solved via priority-inheritance protocol Ω

# Priority inheritance protocol

- Consider the scenario with three processes P1, P2, and P3. P1 has Π the highest priority, P2 the next highest, and P3 the lowest. Assume a resouce P3 is assigned a resource R that P1 wants. Thus, P1 must wait for P3 to finish using the resource. However, P2 becomes runnable and preempts P3. What has happened is that P2 - a process with a lower priority than P1 - has indirectly prevented P3 from gaining access to the resource.
- To prevent this from occurring, a priority inheritance protocol is П used. This simply allows the priority of the highest thread waiting to access a shared resource to be assigned to the thread currently using the resource. Thus, the current owner of the resource is assigned the priority of the highest priority thread wishing to acquire the resource.

#### **System model**

- System consists of resources □
- Resource types  $R_1, R_2, \ldots, R_m$ □

CPU cycles, memory space, I/O devices

- Each resource type  $R_i$  has  $W_i$  instances. О
- Each process utilizes a resource as follows: О
	- request О
	- use Π
	- release Π

#### **Deadlock in Multithreaded Applications**

```
/* thread_one runs in this function */void *do_work_one(void *param)
   pthread_mutex_lock(&first_mutex);
   pthread_mutex_lock(&second_mutex);
   /*** Do some work
    */pthread_mutex_unlock(&second_mutex);
   pthread_mutex_unlock(&first_mutex);
   pthread\_exit(0);/* thread_two runs in this function */
void *do_work_two(void *param)
   pthread_mutex_lock(&second_mutex);
   pthread_mutex_lock(&first_mutex);
   /*** Do some work
    * /pthread_mutex_unlock(&first_mutex);
   pthread_mutex_unlock(&second_mutex);
   pthread\_exit(0);
```
#### **Deadlock in Multithreaded Applications**

- Deadlock is possible if thread 1 acquires first mutex and thread 2 О acquires second mutex. Thread 1 then waits for second mutex and thread 2 waits for first mutex.
- Can be illustrated with a resource allocation graph: П



#### **Deadlock characterization**

Deadlock can arise if four conditions hold simultaneously.

- **Mutual exclusion:** only one process at a time can use a О resource
- **Hold and wait:** a process holding at least one resource is Π waiting to acquire additional resources held by other processes
- □ No preemption: a resource can be released only voluntarily by the process holding it, after that process has completed its task
	- **Circular wait:** there exists a set  $\{P_0, P_1, ..., P_n\}$  of waiting processes such that  $P_0$  is waiting for a resource that is held by  $P_1, P_1$  is waiting for a resource that is held by  $P_2, ..., P_{n-1}$ is waiting for a resource that is held by  $P_n$ , and  $P_n$  is waiting for a resource that is held by  $P_0$ .

#### **Resource allocation graph**

A set of vertices  $V$  and a set of edges  $E$ .

- V is partitioned into two types: 0
	- $P = \{P_1, P_2, ..., P_n\}$ , the set consisting of all the processes in the system
	- $R = \{R_1, R_2, ..., R_m\}$ , the set consisting of all resource types in the system
- request edge directed edge  $P_i \rightarrow R_i$ □
- assignment edge directed edge  $R_i \rightarrow P_i$ О

### **Resource allocation graph example**

- One instance of R1 п
- Two instances of R2 п
- One instance of R3 п
- Three instance of R4 п
- T1 holds one instance of R2 and is п waiting for an instance of R1
- T<sub>2</sub> holds one instance of R<sub>1</sub>, one О instance of R2, and is waiting for an instance of R3
- T<sub>3</sub> is holds one instance of R<sub>3</sub>  $\Box$



#### Resource allocation graph with a deadlock



# Graph with a cycle but no Deadlock



#### **Basic Facts**

- If graph contains no cycles  $\Rightarrow$  no deadlock □
- If graph contains a cycle  $\Rightarrow$ □
	- if only one instance per resource type, then deadlock Π
	- if several instances per resource type, possibility of П deadlock

## **Methods for handling Deadlocks**

- Ensure that the system will *never* enter a deadlock П state:
	- Deadlock prevention Π
	- Deadlock avoidance
- Allow the system to enter a deadlock state and then O recover
- Ignore the problem and pretend that deadlocks never  $\Box$ occur in the system.

### **Deadlock prevention**

Invalidate one of the four necessary conditions for deadlock:

- **Mutual Exclusion** not required for sharable resources П (e.g., read-only files); must hold for non-sharable resources
- Hold and Wait must guarantee that whenever a process П requests a resource, it does not hold any other resources
	- Require process to request and be allocated all its Ω resources before it begins execution, or allow process to request resources only when the process has none allocated to it.
	- Low resource utilization; starvation possible  $\Box$

#### No Preemption  $-$ П

- If a process that is holding some resources requests  $\Box$ another resource that cannot be immediately allocated to it, then all resources currently being held are released
- **n** Preempted resources are added to the list of resources for which the process is waiting
- Process will be restarted only when it can regain its old  $\Box$ resources, as well as the new ones that it is requesting
- **Circular Wait** impose a total ordering of all resource types, п and require that each process requests resources in an increasing order of enumeration

# Solution to the critical section problem

### Deadlock avoidance

Requires that the system has some additional a priori information available

- Simplest and most useful model requires that each process  $\Box$ declare the *maximum number* of resources of each type that it may need
- The deadlock-avoidance algorithm dynamically examines  $\Box$ the resource-allocation state to ensure that there can never be a circular-wait condition
- Resource-allocation state is defined by the number of  $\Box$ available and allocated resources, and the maximum demands of the processes

## **Safe State**

- When a process requests an available resource, system must  $\Box$ decide if immediate allocation leaves the system in a safe state
- □ System is in safe state if there exists a sequence  $\langle P_1, P_2, ..., P_n \rangle$ of ALL the processes in the systems such that for each  $P_i$ , the resources that  $P_i$  can still request can be satisfied by currently available resources + resources held by all the  $P_{i}$  with  $j < I$
- That is: п
	- If P<sub>i</sub> resource needs are not immediately available, then  $P_i$  can 0 wait until all  $P_i$  have finished
	- **D** When  $P_i$  is finished,  $P_i$  can obtain needed resources, execute, return allocated resources, and terminate
	- **D** When P<sub>i</sub>terminates,  $P_{i+1}$  can obtain its needed resources, and so on

# **Basic Facts**

- If a system is in safe state  $\Rightarrow$  no deadlocks  $\Box$
- If a system is in unsafe state  $\Rightarrow$  possibility of deadlock П
- Avoidance  $\Rightarrow$  ensure that a system will never enter an Ω unsafe state.

# **Avoidance Algorithms**

- Single instance of a resource type Ο Use a resource-allocation graph 0
- Multiple instances of a resource type Ω Use the Banker's Algorithm Ω

# **Resource- Allocation Graph Scheme**

- **Claim edge**  $P_i \rightarrow R_j$  indicated that process  $P_i$  may request Ο resource  $R_i$  represented by a dashed line
- Claim edge converts to request edge when a process requests О a resource
- Request edge converted to an assignment edge when the 0 resource is allocated to the process
- $\Box$  When a resource is released by a process, assignment edge reconverts to a claim edge
- Resources must be claimed a priori in the system □

#### **Resource-Allocation Graph**



#### **Unsafe State In Resource-Allocation Graph**



#### **Resource-Allocation Graph Algorithm**

Suppose that process  $P_i$  requests a resource  $R_i$ 

The request can be granted only if converting the request edge to an assignment edge does not result in the formation of a cycle in the resource allocation graph

# **Banker's Algorithm**

- Multiple instances of resources О
- Each process must a priori claim maximum use о
- When a process requests a resource it may have to wait □
- When a process gets all its resources it must return them in a О finite amount of time

To illustrate, consider a system with twelve resources and three threads:  $T_0$ ,  $T_1$ , and  $T_2$ . Thread  $T_0$  requires ten resources, thread  $T_1$  may need as many as four, and thread  $T_2$  may need up to nine resources. Suppose that, at time  $t_0$ , thread  $T_0$  is holding five resources, thread  $T_1$  is holding two resources, and thread  $T_2$  is holding two resources. (Thus, there are three free resources.)



#### **Data Structures for Banker's** Algorithm

Let  $n =$  number of processes, and  $m =$  number of resources types.

- **Available**: Vector of length m. If available  $\begin{bmatrix} 1 \end{bmatrix} = k$ , there are k □ instances of resource type  $R_i$  available
- **Max**:  $n \times m$  matrix. If  $Max[i,j] = k$ , then process  $P_j$  may request at □ most *k* instances of resource type  $R_i$
- **Allocation**:  $n \times m$  matrix. If Allocation[i,j] = k then  $P_i$  is currently □ allocated *k* instances of  $R_i$
- **Need**:  $n \times m$  matrix. If *Need*[i,j] = k, then  $P_i$  may need k more □ instances of  $R_i$ to complete its task

 $Need[i,j] = Max[i,j] - Allocation[i,j]$
## **Safety Algorithm**

1. Let *Work* and *Finish* be vectors of length *m* and *n*, respective Initialize:

> $Work = Available$ *Finish*  $[1] = false$  for  $i = 0, 1, ..., n-1$

- 2. Find an *i* such that both:
	- (a) Finish  $\llbracket \mathbf{i} \rrbracket = \textit{false}$ (b) *Need<sub>i</sub>*  $\leq$  *Work* If no such *i* exists, go to step 4
- 3. Work = Work + Allocation,  $Finish[1] = true$ go to step 2
- 4. If *Finish* [*i*] == *true* for all *i*, then the system is in a safe state

## **Resource-Request Algorithm for Process P**

*Request<sub>i</sub>* = request vector for process  $P_i$ . If *Request<sub>i</sub>* [*j*] = *k* then process  $P_i$  wants *k* instances of resource type  $R_i$ 

- 1. If  $Request_i \le Need_i$  go to step 2. Otherwise, raise error condition, since process has exceeded its maximum claim
- 2. If  $Request_i \le Available$ , go to step 3. Otherwise  $P_i$  must wait, since resources are not available
- 3. Pretend to allocate requested resources to  $P_i$  by modifying the state as follows:

 $Available = Available - Request$ ;  $A$ llocation,= Allocation, + Request;  $Need_i = Need_i - Request_i;$ 

- □ If safe  $\Rightarrow$  the resources are allocated to  $P_i$
- **D** If unsafe  $\Rightarrow$  P<sub>i</sub> must wait, and the old resource-allocation state is restored

5 processes  $P_0$  through  $P_4$ ;  $\Box$ 

3 resource types:

 $A(10$  instances),  $B(5)$  instances), and  $C(7)$  instances)

Snapshot at time  $T_0$ :  $\Box$ 



The content of the matrix **Need** is defined to be **Max** - **Allocation** 



The system is in a safe state since the sequence  $\lt P_1$ ,  $P_3$ ,  $P_4$ ,  $P_2$ ,  $P_0$ > satisfies safety criteria

